

(b) Stefan's Law and Wien's Displacement Law***Stefan's Law***

The integral of the spectral radiancy $R(\nu, T)$ over all frequency ν is the total energy emitted per unit time per unit area from a black body at temperature T . It is called the radiancy

$$R(T) = \int_0^{\infty} R(T, \nu) d\nu \text{ or intensity } I \text{ of radiated electromagnetic wave .}$$

According to Stefan's law intensity I of radiated electromagnetic wave is proportional to fourth power of absolute temperature (T).

$$I = \sigma T^4 \text{ where } \sigma \text{ is known as Stefan's Boltzmann constant.}$$

The value of $\sigma = \frac{2\pi^5 k^4}{15c^2 h^3}$ where k is Boltzmann constant, c is speed of light and h is Plank's

constant. The value of $\sigma = 5.67 \times 10^{-8} \text{ W / m}^2 - \text{ }^0\text{K}^4$

From the Stefan's law, one can calculate the Power P of radiated electromagnetic wave. So power is given by $P = \sigma AT^4$ where A is surface area of black body from which electromagnetic wave radiated.

Wien's Displacement Law

The plot between energy density of blackbody radiation and frequency shows that maximum frequency (ν_{\max}) is shifted towards right as temperature increases. Wien's displacement law stated that maximum frequency (ν_{\max}) is directly proportional to absolute

$$\text{temperature . } \nu_{\max} = \frac{c}{\lambda_{\max}} = \frac{4.9663}{h} kT$$